

11-71. See below:

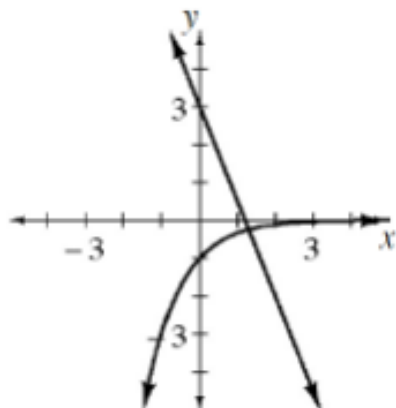
- There is a strong positive linear association between the depth of a water well and the cost to install it. There are no apparent outliers.
- On average, every foot deeper you drill the well, the cost increases by \$14.65.
- The coefficient of correlation is 0.929,  $R$ -squared = 0.864. About 86% of the variation in the cost of drilling a water well can be explained by a linear association with its depth.
- \$1395 represents the cost of a well that has no depth. It would be roughly the cost of the pump.
- $1395 + 14.65(80) = \$2567$ ,  $1395 + 14.65(150) = \$3593$ ,  $1395 + 14.65(200) = \$4325$
- From part (e), the predicted cost is \$2567. Actual - \$2567 = \$363; actual cost was \$2930.
- A linear model looks the most appropriate because there is no pattern in the residual plot.

11-72. c

11-73. Yes, by HL  $\cong$ .


11-74.  $|2.5 - x| \leq 0.03x$ ;  $2.425 \leq x \leq 2.57$  grams; the coin is significantly less than this range, so its legitimacy could be questioned, though there may be reasons that it has lost weight since 1924.

11-75. See graph below.  $x \approx 1.30$

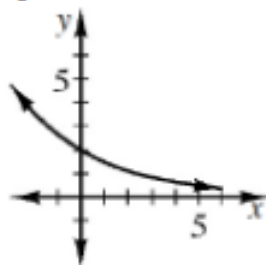


11-76.  $\frac{1}{2} + \frac{1}{3} = \frac{1}{x}$  or  $\frac{1}{2}x + \frac{1}{3}x = 1$ ;  $x = \frac{6}{5}$  hours =  $1\frac{1}{5}$  hours = 1 hour and 12 minutes

11-77. Mr. Greer distributed incorrectly. The correct solution is  $x = 2$ .

11-78. See below: 

a. See graph below.



b.  $f(x) = 10(2.3)^x$

c.  $y = 42,000(0.75)^5 = 9967$

d.  $60 = 25(b)^{10}$ ;  $b = 1.09$ , 9% increase

11-79.  $s = a + 150$ ,  $3s + 5a = 4730$ ; 685 students